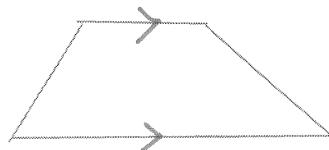


H.Geometry – Chapter 5– Definition Sheet

Section 5.3 (Day 2)

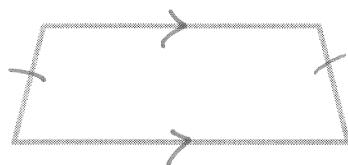
REVIEW:

Trapezoid Characteristics



- quadrilateral w/ at least one pair parallel
- consecutive angles between bases are supplementary

Isosceles Trapezoid Characteristics



- trapezoid w/ congruent legs
- both sets of base \angle 's are \cong
- diagonals of isosceles trap. are \cong

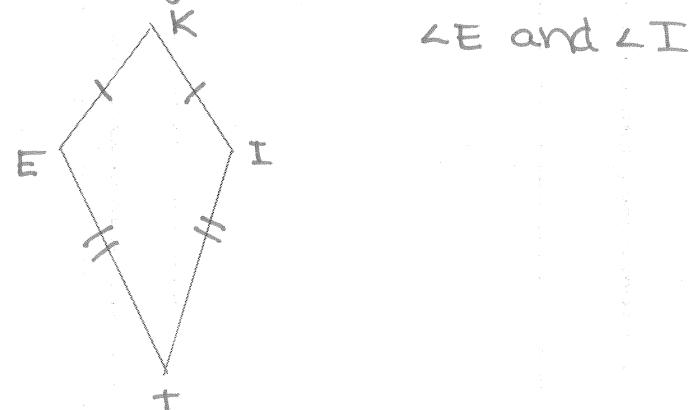
Definition of Kite

A quadrilateral with exactly 2 pairs of distinct congruent consecutive sides.

Parts of a Kite

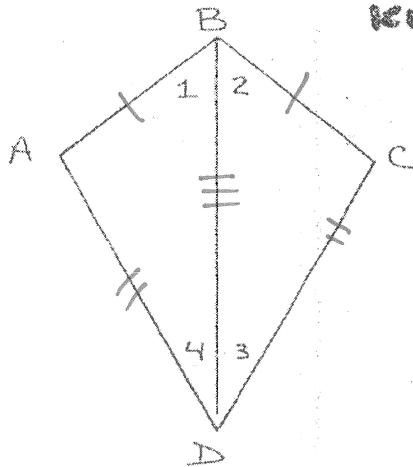
vertex angles - The angles formed by the congruent sides
 $\angle K$ and $\angle T$

non-vertex angles The angles formed by the non-congruent sides.



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PROOF OF : KITE ANGLE BISECTOR THEOREM
KITE ANGLES THEOREM



GIVEN: KITE ABCD WITH
VERTEX L'S $\angle B$ AND $\angle D$

PROVE: ① $\angle 1 \cong \angle 2$
 $\angle 3 \cong \angle 4$
② $\angle A \cong \angle C$

CONCLUSIONS

0. KITE ABCD WITH VERTEX L'S
 $\angle B$ AND $\angle D$

1. $\overline{BA} \cong \overline{BC}$; $\overline{AD} \cong \overline{CD}$
2. $\overline{BD} \cong \overline{BD}$
3. $\triangle BAD \cong \triangle BCD$
4. $\angle 1 \cong \angle 2$
 $\angle 3 \cong \angle 4$
 $\angle A \cong \angle C$

JUSTIFICATIONS

0. GIVEN

1. Defn. of Kite
2. Reflexive
3. SSS \cong
4. CPCTC

Kite Angle Bisector Theorem	The diagonal connecting the vertex angles of a kite is the <u>angle bisector</u> of the vertex angles.
Kite Angles Theorem	The non-vertex angles of a kite are <u>congruent</u> .

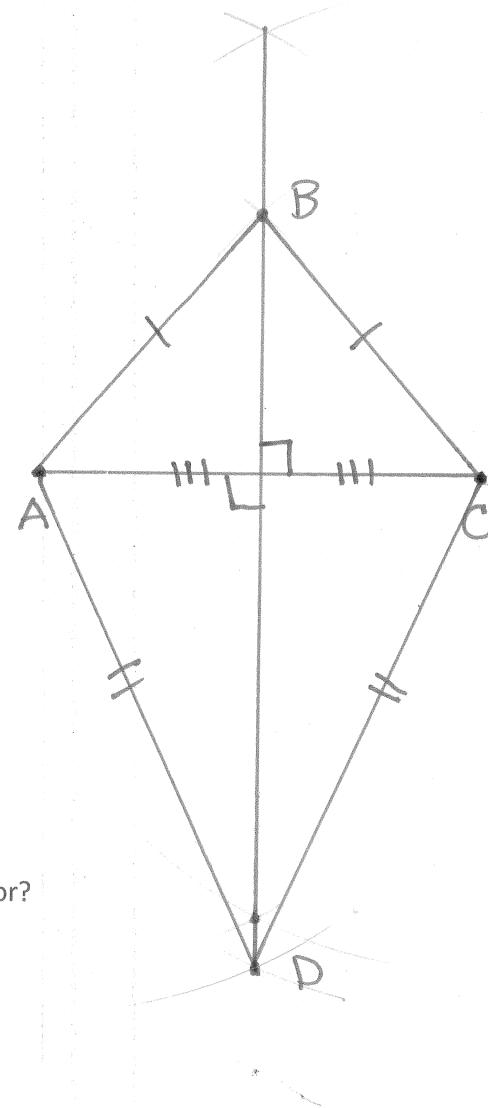
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Investigation:

Draw a line and label the endpoints "A" and "C"

Construct a kite ABCD with AC as a diagonal

Construct the perpendicular bisector of AC.



What do you notice about your perpendicular bisector?

Kite Diagonals Theorem

The diagonals of a kite are perpendicular.

Kite Diagonal Bisector Theorem

The diagonals connecting the vertex angles of a kite is the perpendicular bisector of the other diagonal.