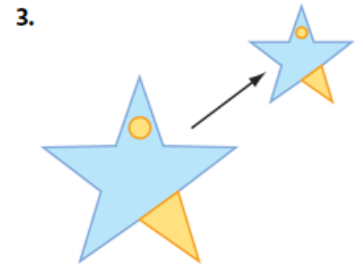
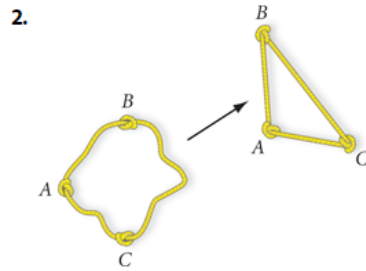
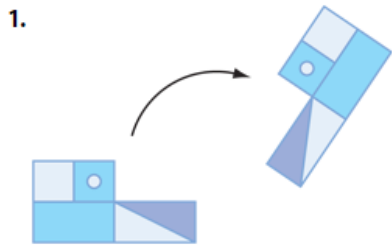


In exercises 1-3, say whether the transformations are rigid or non-rigid. Explain how you know.

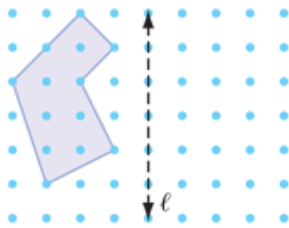


4. An ice-skate gliding in one direction creates several translation transformations. Give another real-world example of translation.

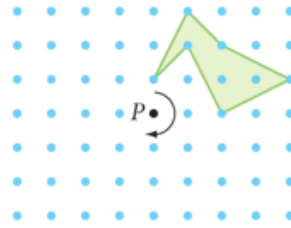
5. An ice skater twirling about a point creates several rotation transformations. Give another real-world example of rotation.

In Exercises 6–8, copy the figure onto graph or square dot paper and perform each transformation.

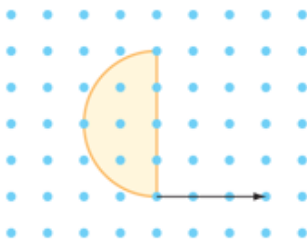
6. Reflect the figure across the line of reflection, line ℓ .



7. Rotate the figure 180° about the center of rotation, point P .

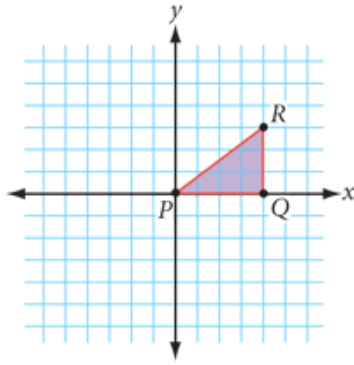


8. Translate the figure by the translation vector.

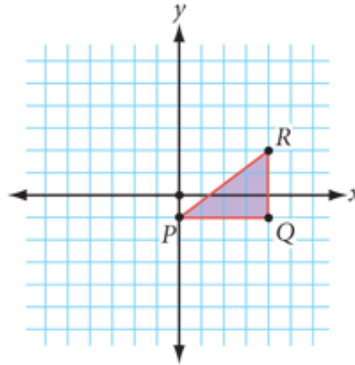


For Exercises 9–14 transform each $\triangle PQR$ on the coordinate plane by the given rule.

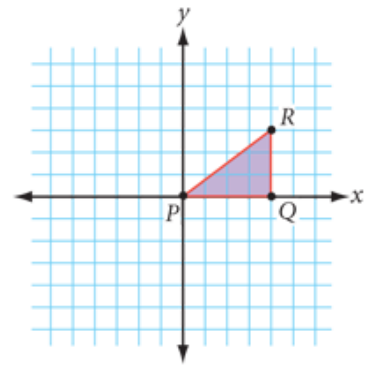
9. Translate 3 units left, 2 units up.



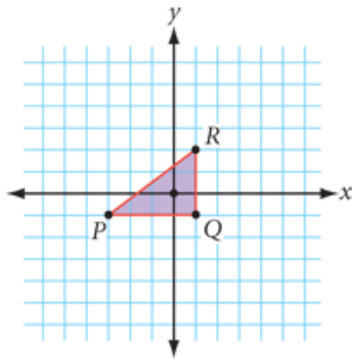
10. Translate 1 unit left, 4 units down.



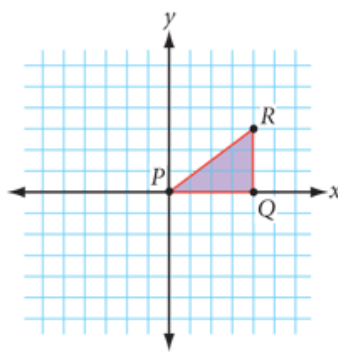
11. Reflect across x -axis



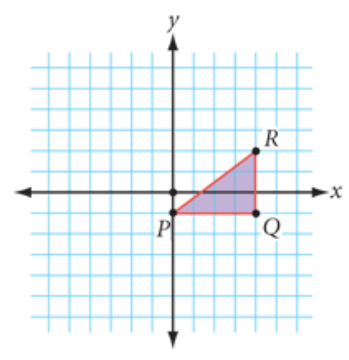
12. Reflect across the y -axis



13. Rotate 90° clockwise about the origin.

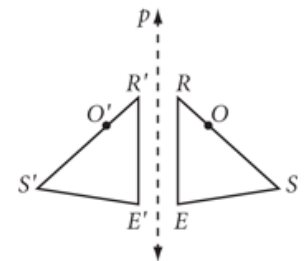


14. Rotate 90° counterclockwise about the origin.



21. $\triangle RSE$ with O , a random point on \overline{RS} , are reflected across line p to create $\triangle R'S'E'$. Which of the following statements are true? Explain how you know.

- a. $\overline{RE} \cong \overline{R'E'}$
- b. $\angle S \cong \angle S'$
- c. Points R' , O' , and S' are collinear
- d. The distance from S to line p is equal to the distance from S' to line p .



22. $\triangle ABC$ with M , the midpoint of \overline{AC} , are translated to create $\triangle A'B'C'$. Which of the following statements are true? Explain how you know.

- a. $\overline{AB} \cong \overline{A'B'}$
- b. $\angle C \cong \angle C'$
- c. M' is the midpoint of $A'C'$
- d. $\overline{BB'} \cong \overline{MM'}$

